

Interstellar Grains

What roles do they play in the ISM?

- (1) Extinction — absorption and scattering; λ -dependent
- (2) Formation of molecules
- (3) Cooling / heating of the ISM; energy exchange
- (4) Absorption and re-emission; Optical / UV / X-ray \rightarrow IR.

extinction:

$$I_\lambda = I_{\lambda_0} e^{-T_\lambda}$$

I_λ : intensity at λ

T_λ : optical depth at λ

To determine the extinction curve, we use a pair of stars with identical spectral type.

$$\frac{F_\lambda(1)}{F_\lambda(2)} = \frac{D_2^2}{D_1^2} e^{-[T_\lambda(1) - T_\lambda(2)]}$$

F_λ : observed flux

If D_1, D_2 are known, and $T_\lambda(2) \rightarrow 0$,
then the ratio $F_\lambda(1)/F_\lambda(2)$ can be used to determine the extinction curve.

$$m = M + 5 \log d - 5 + A$$

↑ ↑ ↑ ↑
apparent magnitude absolute magnitude distance in pc extinction

| |
|---|
| $\frac{L_2}{L_1} = 100^{(M_1 - M_2)/5}$ |
|---|

$$\frac{\text{absorbed flux}}{\text{unabsorbed flux}} = 100^{-A_\lambda/5}$$

$$B = M_B + 5 \log d - 5 + A_B$$

$$V = M_V + 5 \log d - 5 + A_V$$

$$B-V = (M_B - M_V) + (A_B - A_V)$$

$$A_B - A_V = (B-V) - (M_B - M_V) \equiv E(B-V) \quad \text{color excess}$$

$$\frac{A\lambda}{E(B-V)} = \frac{A\lambda - A_V}{E(B-V)} + \frac{A_V}{E(B-V)} = \frac{E(\lambda-V)}{E(B-V)} + R$$

$$R \equiv \frac{A_V}{E(B-V)} \approx 3.1$$

Extinction curves are frequently plotted as

$$\frac{E(\lambda-V)}{E(B-V)} \quad \text{vs} \quad \frac{1}{\lambda}$$

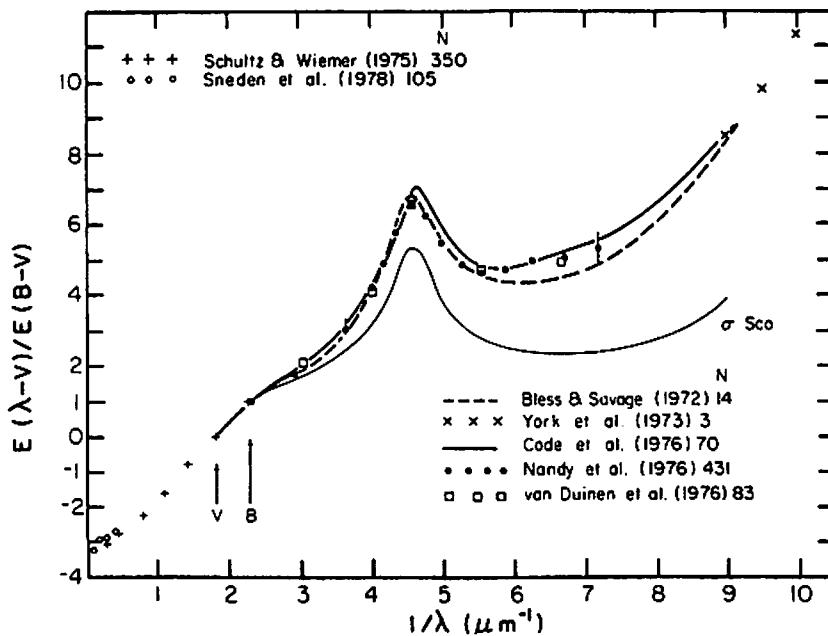
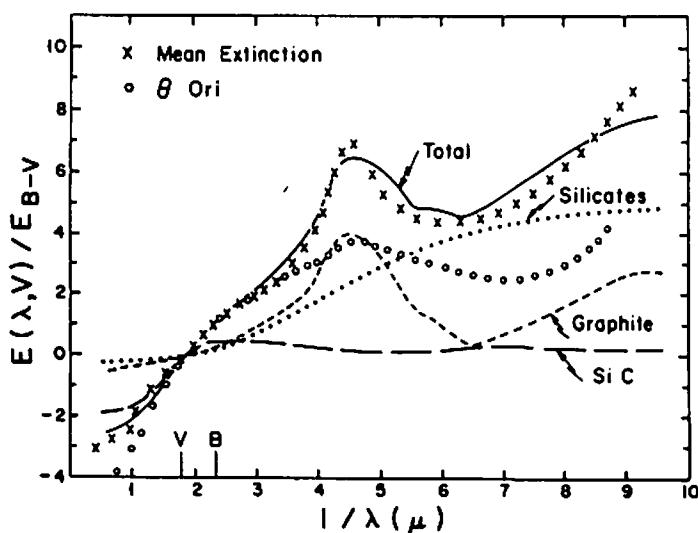


Table 2 An average interstellar extinction curve

| | $\lambda(\mu\text{m})$ | $\lambda^{-1}(\mu\text{m}^{-1})$ | $E(\lambda-V)/E(B-V)$ | $A_\lambda/E(B-V)$ |
|----------|------------------------|----------------------------------|-----------------------|--------------------|
| | ∞ | 0 | -3.10 | 0.00 |
| <i>L</i> | 3.4 | 0.29 | -2.94 | 0.16 |
| <i>K</i> | 2.2 | 0.45 | -2.72 | 0.38 |
| <i>J</i> | 1.25 | 0.80 | -2.23 | 0.87 |
| <i>I</i> | 0.90 | 1.11 | -1.60 | 1.50 |
| <i>R</i> | 0.70 | 1.43 | -0.78 | 2.32 |
| <i>V</i> | 0.55 | 1.82 | 0 | 3.10 |
| <i>B</i> | 0.44 | 2.27 | 1.00 | 4.10 |
| | 0.40 | 2.50 | 1.30 | 4.40 |
| | 0.344 | 2.91 | 1.80 | 4.90 |
| | 0.274 | 3.65 | 3.10 | 6.20 |
| | 0.250 | 4.00 | 4.19 | 7.29 |
| | 0.240 | 4.17 | 4.90 | 8.00 |
| | 0.230 | 4.35 | 5.77 | 8.87 |
| | 0.219 | 4.57 | 6.57 | 9.67 |
| | 0.210 | 4.76 | 6.23 | 9.33 |
| | 0.200 | 5.00 | 5.52 | 8.62 |
| | 0.190 | 5.26 | 4.90 | 8.00 |
| | 0.180 | 5.56 | 4.65 | 7.75 |
| | 0.170 | 5.88 | 4.77 | 7.87 |
| | 0.160 | 6.25 | 5.02 | 8.12 |
| | 0.149 | 6.71 | 5.05 | 8.15 |
| | 0.139 | 7.18 | 5.39 | 8.49 |
| | 0.125 | 8.00 | 6.55 | 9.65 |
| | 0.118 | 8.50 | 7.45 | 10.55 |
| | 0.111 | 9.00 | 8.45 | 11.55 |
| | 0.105 | 9.50 | 9.80 | 12.90 |
| | 0.100 | 10.00 | 11.30 | 14.40 |

In the UV wavelength range, an extinction peak is present at $\sim 2175 \text{ \AA}$ ("2200 \AA bump").



UV: Small graphite grains

$$\bar{a} = 2.5 \times 10^{-6} \text{ cm}$$

Visual: SiC grains

$$\bar{a} = 7.5 \times 10^{-6} \text{ cm}$$

far UV: MgSi, AlSi

$$\bar{a} = 4.5 \times 10^{-6} \text{ cm}$$

Extinction curves differ toward different stars, depending on the dust compositions

At optical wavelengths, $\tau_\lambda = C f(\lambda)$,
where C is a constant factor.

Nebular spectroscopists like to normalize line strengths to $I(H\beta)$, and let $f(H\beta) = 0$

$$\begin{aligned}\frac{I_\lambda}{I_{H\beta}} &= \frac{I_{\lambda 0}}{I_{H\beta 0}} e^{-(\tau_\lambda - \tau_{H\beta})} \\ &= \frac{I_{\lambda 0}}{I_{H\beta 0}} e^{-C[f(\lambda) - f(H\beta)]} \\ &= \frac{I_{\lambda 0}}{I_{H\beta 0}} e^{-C f(\lambda)}\end{aligned}$$

$$2.3 C \equiv C(H\beta) = -\log \frac{I_{H\beta}}{I_{H\beta 0}} \quad \frac{I_{H\beta}}{I_{H\beta 0}} = 10^{-C(H\beta)}$$

To determine $C(H\beta)$, use $H\alpha$ and $H\beta$ lines,
i.e. Balmer decrements.

$$\frac{I_{H\alpha}}{I_{H\beta}} = \frac{I_{H\alpha 0}}{I_{H\beta 0}} 10^{-C(H\beta) f(H\alpha)} \quad f(H\alpha) = -0.308$$

$$= 2.86 \times 10^{0.308 C(H\beta)}$$

$$C(H\beta) = \frac{1}{0.308} \log \left(\frac{I_{H\alpha}/I_{H\beta}}{2.86} \right)$$

$$\text{With } I_{H\beta 0} \equiv 100, \quad I_{\lambda 0} = 100 \times \left(\frac{I_\lambda}{I_{H\beta}} \right) 10^{C(H\beta) f(\lambda)}$$

$$A_V = 2.17 C(H\beta)$$

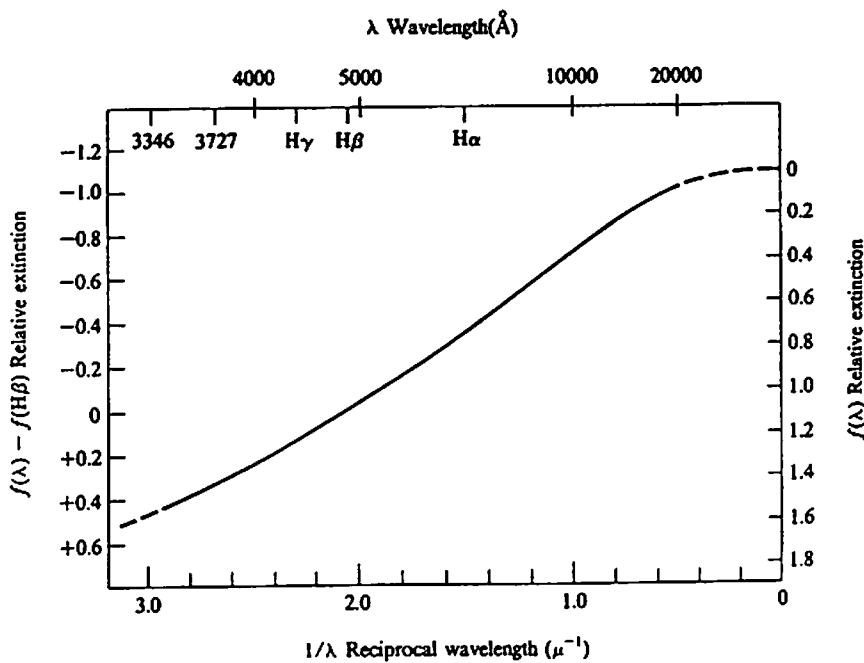


FIGURE 7.1

Standard interstellar extinction curve as a function of wavelength as described in text and listed in Table 7.1. Note that the left-hand scale gives extinction relative to extinction at $H\beta$; the right-hand scale shows total extinction and is chosen so that $\tau_\lambda \rightarrow 0$ as $\lambda \rightarrow \infty$.

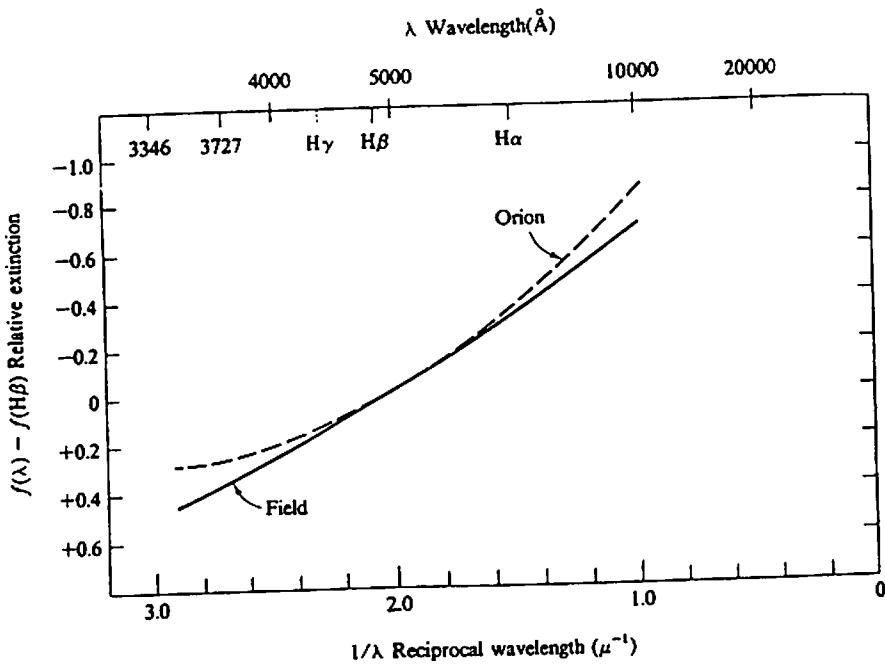


FIGURE 7.2

Average extinction for θ^1 Ori, the Trapezium stars, in NGC 1976, compared with average extinction for stars in Cygnus, Cepheus, Perseus and Monoceros.

| λ (Å) | ION | f |
|--------------------------|---------------------|--------|
| 3727..... | [O II] | 0.278 |
| 3868..... | [Ne III] | 0.249 |
| 4026..... | He I | 0.210 |
| 4068..... | [S II] ^b | 0.200 |
| 4102..... | H I | 0.193 |
| 4340..... | H I | 0.144 |
| 4363..... | [O III] | 0.140 |
| 4472..... | He I | 0.110 |
| 4741..... | [Ar IV] | 0.034 |
| 4861..... | H I | 0.000 |
| 4959..... | [O III] | -0.025 |
| 5007..... | [O III] | -0.037 |
| 5518..... | [Cl III] | -0.147 |
| 5538..... | [Cl III] | -0.147 |
| 5755..... | [N II] | -0.189 |
| 5876..... | He I | -0.209 |
| 6300..... | [O I] | -0.273 |
| 6311..... | [S III] | -0.274 |
| 6563..... | H I | -0.308 |
| 6584..... | [N II] | -0.310 |
| 6678..... | He I | -0.322 |
| 6717..... | [S II] | -0.326 |
| 6731..... | [S II] | -0.328 |
| 7065..... | He I | -0.369 |
| 7136..... | [Ar III] | -0.380 |
| $C(H\beta)$ | | |
| $\log S(H\beta)^c$ | | |